

THE KAVERY ENGINEERING COLLEGE*(An Autonomous Institution)***B.E/B.TECH - DEGREE END SEMESTER THEORY EXAMINATIONS, APRIL-MAY 2025****Fourth Semester****Computer Science and Engineering****CS3452 - Theory of Computation****(Common to Information Technology)****Regulations – 2021****Duration : 3 Hrs****Maximum : 100 Marks****PART – A (ANSWER ALL QUESTIONS) (Marks 10*2=20)**

Q.No	Questions	BLT	CO	Marks
1.	Compare and contrast NFA and DFA.	L4	1	2
2.	Define ϵ -closure of a state.	L1	1	2
3.	Consider the following languages. $L_1 = \{ ab, abb, abbb, \dots \}$ and $L_2 = \Phi$ (empty language). Identify the list of strings that are part of the language created by $L_1 \cdot L_2 \cdot L_2^*$.	L3	2	2
4.	State Pumping Lemma for regular languages.	L1	2	2
5.	When do you say that given grammar G is ambiguous?	L2	3	2
6.	Write a Context Free Grammar for the language consisting of equal number of a's and b's.	L6	3	2
7.	Define the language recognized by any Turing Machine.	L1	4	2
8.	Write the properties of CFL that are closed.	L1	4	2
9.	Write the significance of NP problems with an Example.	L2	5	2
10.	Why is the 3-CNF SAT problem important in computational theory?	L2	5	2

PART – B (ANSWER ALL QUESTIONS) (Marks 5*16 = 80)

Q.No	Questions	BLT	CO	Marks
11. a	Draw a Deterministic Finite Automata recognizing (DFA) the language corresponding to the regular expression $(ab + bc^* a^*)^*$. Test your DFA using any two strings of the language.	L3	1	16
Or				
b i	Find the equivalent DFA for the following NFA.	L3	1	8
<pre> graph LR start(()) --> p((p)) p -- "0,1" --> p p -- "0" --> q((q)) q -- "0,1" --> r((r)) r -- "0" --> s(((s))) s -- "0,1" --> s </pre>				
i	Construct a DFA that accepts the string over an alphabet $\{0,1\}$, number of 0's is multiples of 3.	L3	1	8

12. a Find the Deterministic Finite Automata recognizing the language corresponding to the regular expression $(0^*10 + 1^*0)(01^*)$. L5 2 16
- Or**
- b i State that the language $L = \{0^n1^{2n} \mid n > 0\}$ is not regular. L5 2 8
- i Prove if L and M are regular language, then so is $L - M$. L5 2 8
13. a Develop a Pushdown Automata to recognize the language, $L = \{a^n b^p c^p d^{(n/2)} \mid p, n > 0\}$. Justify your answer. L3 3 16
- Or**
- b i Grammar $G: S \rightarrow S1S \mid 0$, Is this grammar G is ambiguous? L3 3 8
- i Prove that if PDA P is constructed from CFG G, then $L(P) = L(G)$. L3 3 8
14. a Convert the following grammar to Chomsky Normal Form. L6 4 16
- $S \rightarrow AaA$
 $A \rightarrow aaBa \mid CDA \mid CD$
 $B \rightarrow bB$
 $C \rightarrow Ca \mid D$
 $D \rightarrow bD \mid \epsilon$
- Or**
- b i Design a Turing Machine to compute multiplication of two positive integers. L6 4 8
- i Design a Turing Machine to recognize the language $\{0^n1^n0^n \mid n \geq 1\}$. L6 4 8
15. a i Find whether following language is recursively enumerable. Union of recursively enumerable languages. L2 5 8
- i Find whether following language is recursively enumerable. L and complement of L are recursively enumerable. L2 5 8
- Or**
- b State whether the instances of Post Correspondence Problem (PCP) have a solution. The following are the instances with $\Sigma = \{0,1\}$. L2 5 16

Index	List A	List B
1	10	01
2	110	011
3	110	01
4	000	00
5	10	010

In case the PCP has a solution, describe the post-correspondence solution with justification.